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# Numerical Study of Longitudinal Inter-Distance and Operational Characteristics for High-Speed Capsular Train Systems 

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#### Abstract

High-speed capsular vehicles are firstly suggested as an idea by Elon Musk of Tesla Company. Unlike conventional high-speed trains, capsular vehicles are individual vessels carrying passengers and freight with the expected maximum speed of near 1200 [ $\mathrm{km} / \mathrm{h}]$ in a near-vacuum tunnel. More individual vehicle speed, dispatch, and position control in the operational aspect are expected over connected trains. This numerical study and investigation evaluate and analyze inter-distance control and their characteristics for high-speed capsular vehicles and their operational aspects. Among many aspects of operation, the inter-distance of multiple vehicles is critical toward passenger/freight flow rate and infrastructural investment. In this paper, the system's equation, equation of the motion, and various characteristics of the system are introduced, and in particular control design parameters for inter-distance control and actuation are numerically shown. As a conclusion, (1) Inter-distance between vehicles is a function of error rate and second car start time, the magnitude range is determined by second car start time, (2) Inter-distance fluctuation rate is a function of error rate and second car start time, however; it can be minimized by choosing the correct second car start time, and (3) If the second car start time is chosen an integer number of push-down cycle time at specific velocity error rate, the inter-distance fluctuation can be zero.


Keywords: hyperloop actuation; capsular vehicles; inter-distance control; magnetic levitation; control and actuation; numerical studies; longitudinal distance

## 1. Introduction

The conventional modes of transportation of people consist of four unique types and that are rail, road, water, and air. As transportation technology has been advanced in recent years, people are seeking much faster and more efficient ground transportation ways all over the world. Many countries have developed high-speed railway transportation. The most famous one is the Chinese bullet train- China Railway High-speed(CRH) train series as shown in Figure 1. with a normal speed of 350 [ $\mathrm{km} / \mathrm{h}]$, and now the Shanghai Maglev can reach a speed of $430[\mathrm{~km} / \mathrm{h}]$ during daily operation [1]. Other countries like France has SNCF TGV series train with a speed of $350[\mathrm{~km} / \mathrm{h}]$, Japan has Shinkansen series train with a speed of 320 [km/h], Germany has ICE with 320 [km/h], Spain AVE with 310 [km/h], South Korea KTX train with 305 [km/h], etc. [2-5].


Figure 1. An exemplary picture of high-speed connected vehicles (image courtesy by China Railway High-speed).

## 2. High-Speed Capsular Vehicles and Related Works

High-speed capsular systems are vehicles that travel within a vacuumed tunnel, which is designed to travel a long distance within a very short time. Due to reduced aerodynamic resistance, the vehicles normally can travel at ultra-high speed, more than $1000[\mathrm{~km} / \mathrm{h}]$. The transportation system departures with a passenger-vehicle capsule pod as depicted in Figure 2. Hyperloop is one of the high-speed capsular vehicles, which was first published by Elon Musk of Tesla Company in August 2013 [6-10]. It is a kind of vehicle system incorporating reduced-pressure tubes in which pressurized capsules ride on air bearings driven by linear induction motors and axial compressors [11-13]. Reduced air resistance could permit vactrains to travel at very high speeds with relatively little power. Unlike conventional high-speed trains, capsular vehicles are individual vessels carrying passengers and freight with the expected maximum speed of near $1200[\mathrm{~km} / \mathrm{h}]$ in a near-vacuum tunnel and CFD (Computational fluid dynamics) works have been performed to validate feasibilities [14-16]. Capsular vehicles have a lot of advantages over traditional on-ground transportations like high speed, capacity, fuel efficiency, operational cost, environmentally friendly, etc. [17-19]. Among various subject areas for realization including communication [20,21], software systems and their designs [22], performance modeling and simulations [23], energy management [24] and eco-friendly effect [25], train control management and operation [26-28], this paper focuses on the inter-distance control aspect in operation since its inter-distance is directly related to the number of passengers, freight, and the overall efficacy of hyperloop system operation.


Figure 2. Conceptual rendering of capsular vehicles (image from KRRI).
M. Overton et al. focused on and described the capsule hazards and mitigations along with specialized evacuation processes appropriate for Hyperloop [29]. C. Taylor et al. did a high-level Hyperloop commercial feasibility analysis overview about system costs, market, safety, capacity, etc. [30]. K. Goeverden et al. did Hyperloop performance analysis and comparison with high-speed rail and air passenger transport system about the operation, finance, and environment, found out that Hyperloop is better for the environment with long-distance travel, but not for operation and finance [31]. Mitropoulos and et al. did a construction design about the Hyperloop transportation system. They proposed the model of the tube, capsule, compressor, suspension, and propulsion [32]. The MIT Hyperloop Team and some academic institutes competed in the SpaceX Hyperloop competition from June 2015 to January 2017 [17,33]. They did a detailed explanation of the design of the pod, the construction of the pod, and the tests that were performed-including an analysis of the competition run.
R. Janzen proposed a high-speed vehicle model-Transpod. It is designed to carry passengers at speeds exceeding $1000[\mathrm{~km} / \mathrm{h}]$, presented concerning dynamics considerations. The system is based on electromagnetic propulsion of vehicles within a protected tube guideway, whose air pressure is reduced and controlled for improved performance at high speed. The tube environment is designed for levitation systems, stability systems, and safety support systems, to permit multiple TransPod vehicles to run simultaneously with high-frequency departures [12].

## 3. Systems Dynamic Model

In this paper, a specific system model and its specification has been used as shown in Table 1. Traffic dynamics modeling is an essential task for longitudinal control. For single-lane traffic modeling, considering constant space platoon, the dynamics function will be defined:

$$
\begin{equation*}
X_{i}=X_{i-1}-D_{i} \tag{1}
\end{equation*}
$$

where $X_{i-1}$ and $X_{i}$ are the $x$ (longitudinal axis) co-ordinates of the preceding vehicle and the vehicle under the consideration and $D_{i}$ is a constant distance between adjacent two vehicles. For single-vehicle dynamic modeling,

$$
\begin{equation*}
m \ddot{X}=\sum F(t)=F_{\text {input }}(t)-F_{d}-F_{E D S} \tag{2}
\end{equation*}
$$

Table 1. Given System Specifications.

|  | Given System Specifications |
| :---: | :---: |
| Pressure | $1 / 1000[\mathrm{~atm}]$ |
| Max speed | $1220[\mathrm{~km} / \mathrm{h}](339[\mathrm{~m} / \mathrm{s}])$ |
| Weight | $24,000[\mathrm{~kg}]$ (No passenger) |
| Dimension | $26,000[\mathrm{~kg}]$ (with full passenger) |
| Levitation gap | $1.25 \times 1.25 \times 26\left[\mathrm{~m}^{3}\right]$ |
| Levitation | over $100[\mathrm{~mm}]$ |
| Propulsion | Superconductor EDS |
| Acceleration | LSM |

Aero resistance force $F_{d}$ is

$$
\begin{equation*}
F_{d}=C_{D} \times \frac{1}{2} \times \rho \times V^{2} \times A(N) \tag{3}
\end{equation*}
$$

where:

$$
\rho=0.00116 \mathrm{~kg} / \mathrm{m}^{3},
$$

$$
C_{D}=6.5, A=1.41 \mathrm{~m}^{2}, F d=0.0053 \mathrm{~V}^{2}
$$

EDS resistance force is a resistance force caused by magnetic levitation. We obtained experimental data of the real-time EDS force corresponding to a series of velocities from $0[\mathrm{~km} / \mathrm{h}]$ to $1220[\mathrm{~km} / \mathrm{h}]$. Using the discrete data, we generated the continuous equation to simulate the data set, which is given by Equation (4). To better illustrate the proximity of the equation, we draw the trend line of the data set as shown in Figure 3 below.


Figure 3. EDS force simulation with velocity.
In this system, the aerodynamic drag force and EDS resistance force are both functions of velocity. Thus, the system equation can become:

$$
\begin{equation*}
m \dot{V}=F_{\text {input }}(t)-F_{d}(V)-F_{E D S}(V) \tag{4}
\end{equation*}
$$

Furthermore, we have:

$$
\begin{equation*}
\dot{V}=F_{\text {input }}(t) / m-F_{d}(V) / m-F_{E D S}(V) / m \tag{5}
\end{equation*}
$$

If the input force is given always proportional to the mass, then the system becomes a first-ordinary differential equation about velocity no matter how much the system masses are. Thus, to solve this system is to solve the velocity of this system.

## 4. Numerical Analysis

In our simulation, the mass is given by two states: $24,000[\mathrm{~kg}]$ with no load and $26,000[\mathrm{~kg}]$ with a full load. We assume in this system two vehicles are departing at a certain time, first with no load and second with a full load. At first, to make the system simple and efficient, we give a pulse force denoted in Figure 4a. Then the vehicles' acceleration output response is shown in Figure 4 b. For the first vehicle, if we give the initial input force to push the vehicle to maximum speed, then stop pushing, let the vehicle drive freely in the tunnel, after a certain time, give the same negative force to decelerate, and we name these three regions as acceleration region, free region, and deceleration region. As you can see, for the corresponding velocity figure, the acceleration region, the speed is increasing rapidly with an acceleration of about $4.9\left[\mathrm{~m} / \mathrm{s}^{\wedge} 2\right]$, for the free drop region, the speed is slowly dropping, due to there is not a lot of resistance, the deceleration is small, for the deceleration region, the speed is decreasing sharply. The second car starts 50 [s] later and is given the same force pattern. The acceleration output response of the second vehicle is the same as the first one.


Figure 4. (a) Input force and (b) vehicle accleration output when ( $\mathrm{m} 1=24,000[\mathrm{~kg}]$ (blue), $\mathrm{m} 2=26,000[\mathrm{~kg}]$ (red), t_scndstart $=50[\mathrm{~s}]$ ) in the duration of 3600 [s] of operation, (red) and (green) respectively.

As shown in Figure 4b, two vehicles' acceleration outputs are having the same pattern-acceleration-slow dropping-deceleration. Figure 5a shows the acceleration region, as the velocity goes up before 19.82 [ $\mathrm{m} / \mathrm{s}$ ], the acceleration is decreasing a little, and after the velocity passes the $19.82[\mathrm{~m} / \mathrm{s}]$, the EDS force goes down, the acceleration goes up to the about $4.9\left[\mathrm{~m} / \mathrm{s}^{\wedge} 2\right]$. Figure 5 b shows for the constant but deceleration region due to aerodynamic drag and EDS resistance, the velocity is dropping at an acceleration of $-0.04\left[\mathrm{~m} / \mathrm{s}^{\wedge} 2\right]$. For the deceleration region shown in Figure 6a, the absolute value of deceleration is increasing as the velocity goes down. Figure 6 b shows the corresponding velocity response of two vehicles where $50[\mathrm{~s}]$ is apart from the start time.


Figure 5. (a) Acceleration response in the initial stage (before the velocity reaches $19.82[\mathrm{~m} / \mathrm{s}]$ or initial 120 [s] (red and then green), and (b) while the vehicle is cruising when ( $\mathrm{m} 1=24,000[\mathrm{~kg}]$ (red), $\mathrm{m} 2=26,000[\mathrm{~kg}]$ (green), t_scndstart $=50[\mathrm{~s}]$ ).


Figure 6. (a) Acceleration output in the final state near 3600 [s] when ( $\mathrm{m} 1=24,000$ [kg] (red), $\mathrm{m} 2=26,000[\mathrm{~kg}]$ (green), t_v2 $=50[\mathrm{~s}]$ ) and (b) velocity response corresponding to the acceleration output Figure 4b and input force as shown in Figure 4a.

Another important aspect of the capsular vehicle's operation is its inter-distance or displacement. The displacement of two vehicles is shown in Figure 7a. They are having the same nonlinear pattern with a time difference of 50 [s]. The inter-distance between two vehicles is changing as the figure shows in Figure 7 b . Inter-distance is a nonlinear pattern. Inter-distance is going up quickly up to maximum at first 120 [s], then it starts dropping gradually because the speed of the first vehicle is smaller than the second one, finally, it drops rapidly to zero at the end.


Figure 7. (a) Each vehicle's displacement ( $\mathrm{m} 1=24,000[\mathrm{~kg}]$ (red), $\mathrm{m} 2=26,000[\mathrm{~kg}]$ (green), t_scndstart $=50[\mathrm{~s}]$ ), and (b) inter-distance between two vehicles when when ( $\mathrm{m} 1=24,000[\mathrm{~kg}]$, $\mathrm{m} 2=26,000[\mathrm{~kg}], \mathrm{t}$ _scndstart $=50$ [s]) in the duration of 3600 [s] of operation (blue).

The inter-distance is changing a lot in the middle region. However, from a system stability view, this is not good, thus we need to control the inter-distance to a proper range.

## 5. Vehicle's Actuation and Operation Aspects

To control the inter-distance, we need to adjust the two vehicles' displacement. Then we will need to regulate the vehicle velocity. We have two choices-either we control the single-vehicle velocity pattern or adjust the second car start time. To make our system more stable, we are trying to give the input during the free drop region for a single vehicle. We introduced the velocity drop error, which is defined by:

$$
\begin{equation*}
\text { Error }=(V \max -V \min ) / V \max \tag{6}
\end{equation*}
$$

where $V \max$ is the designed maximum speed, $V \min$ is the free drop minimum speed allowance, and Error is the speed drop allowance;

From this design, first, we push the vehicle to the maximum. When the velocity dropped to a certain speed, we give one input to push the vehicle speed back to maximum and then let it go freely. When the speed drops to the allowed minimum again and we give the push again, then keep doing the same loop until it gets to the final deceleration region.

Figure 8 a shows a velocity response with an error of 0.1 . In this case, the maximum speed is $339[\mathrm{~m} / \mathrm{s}]$, then the minimum speed allowance is $305.1[\mathrm{~m} / \mathrm{s}]$. Whenever the velocity dropped down to $305.1[\mathrm{~m} / \mathrm{s}]$, the vehicle will get a push to $339[\mathrm{~m} / \mathrm{s}]$. Then the designed input force for this scenario is shown in Figure 8b. For two vehicles with different masses, the force impulses are $118[\mathrm{KN}]$ and $128[\mathrm{KN}]$ separately.


Figure 8. (a) Regulated velocity response with error $=0.1$ rate (red for $24,000[\mathrm{~kg}]$, green for 26,000 [ kg$]$, and (b) Corresponding force input to generate the regulated velocity as shown in Figure 8 a when $(\mathrm{m} 1, \mathrm{~m} 2)=(24,000$ (blue), 26,000 (red) $[\mathrm{kg}], \mathrm{t}$ _scnd $=50[\mathrm{~s}])$ respectively.

Then the vehicle output acceleration is shown in Figure 9a. For the acceleration and deceleration region, the acceleration output is the same as without regulation. For the middle region, the acceleration gets the same positive pulses when the input force has functioned.

The vehicle's displacement is shown in Figure 10a. The trend is the same as before. Figure 10a shows the inter-distance after regulation, as we see, the inter-distance is get controlled in one range, which means the velocity control is effective. However, it is getting multi up-down regions. Moreover, various error rates were applied as shown in Figure 10b.


Figure 9. (a) Acceleration output when regulated velocity with error $=0.1$ rate, (red for 24,000 [kg], green for $26,000[\mathrm{~kg}]$, and (b) Vehicles' displancement when regulated velocity with error $=0.1$ rate $(\mathrm{m} 1, \mathrm{~m} 2)=(24,000,26,000[\mathrm{~kg}]$, t_scnd $=50[\mathrm{~s}])$ respectively.


Figure 10. (a) Inter-distance between two vehicles when regulated velocity with error $=0.1$, and (b) Inter-distnace with various error rates (error $=1 \%, 2 \%, 5 \%, 10 \%, 20 \%$, t_scndstart $=50[\mathrm{~s}]$, $\mathrm{m} 1=24,000[\mathrm{~kg}], \mathrm{m} 2=26,000[\mathrm{~kg}]$ ), green, purple, yellow, orange, blue respectively.

### 5.1. Minimizing the Flunctuation Distance

To minimize the inter-distance fluctuation range, we are going to try two ways: (1) control the velocity error, and (2) control the second car start time. First, we fix the second vehicle start time at 50 [s] and vary the velocity error. Figure 10b shows the inter-distance with various errors at $1 \%, 2 \%, 5 \%, 10 \%, 20 \%$. Inter-distance fluctuation is increasing when the error increases.

For one up-down region, we name it a node. As we see in Figure 11a, the nodes number is decreasing exponentially when the error increases. Moreover, the pushing time for pushing vehicles back to maximum speed from minimum is increasing linearly when error increases, see Figure 11b. The inter-distance fluctuation (df), which refers to the
difference of maximum value and minimum value of fluctuation region, is also increasing linearly when error increases, also shown in Figure 11b.


Figure 11. (a) Various error rates vs. number of nodes, and (b) various error rates vs. pushing time when (error $=1 \%, 2 \%, 3 \%, \ldots, 20 \%$, t_scndstart $=50[\mathrm{~s}], \mathrm{m} 1=24,000[\mathrm{~kg}], \mathrm{m} 2=26,000[\mathrm{~kg}])$.

### 5.2. Second Vehicle Start Time Actuation and Characteristics

After studying the velocity error effect, we find out, when the error is smaller, the inter-distance fluctuation is smaller. Now we fix the error at $1 \%$ and vary the second vehicle start time. Figure 12a shows the inter-distance with various second vehicle start time at 5 [s], 10 [s], 20 [s], 50 [s], 100 [s]. Inter-distance fluctuation normal value(d_normal), which refers to the average of maximum value and minimum value of fluctuation region, is increasing when the second vehicle start time increases, see Figure 12b. The nodes number is kept the same when the error increases, which means the nodes number is the only function of error. Moreover, the pushing time is also kept the same when error increases, which means the pushing time is also only a function of error.


Figure 12. (a) Inter-distance with various second vehicle start time and (b) second car's start time vs. inter-distance flunctuation normal distance when (error $=1 \%$, t_scndstart $=5,10,20,50,100 \mathrm{~s}$, $\mathrm{m} 1=24,000[\mathrm{~kg}], \mathrm{m} 2=26,000[\mathrm{~kg}]$ ) green, purple, yellow, orange, blue respectively.

Interestingly, the inter-distance fluctuation is showing a periodical pattern when error increases, shown in Figure 13a. From the figure, we can see, at a certain point, the fluctuation can be maximum, and at a certain point, the fluctuation can be zero, which means, at some second vehicle start time, there is no fluctuation for inter-distance. If we take the first zero fluctuation point, which is 76.64 [ s ], the velocity simulation is shown in Figure 13b, we can see that the two vehicles' velocity figures become overlapped after the first vehicle's velocity drops down to a minimum. Then the first pushing region of the first vehicle coincides with the second vehicle acceleration. Moreover, the corresponding inter-distance is shown in Figure 14a. After the inter-distance reaches to maximum, then the inter-distance is keeping the same value, there is no fluctuation anymore.


Figure 13. (a) Inter-distance fluctuation with various second vehicle start time, and (b) velocity response (error $=1 \%$, t_scndstart $=5$ [s], $6[\mathrm{~s}], 7[\mathrm{~s}], \ldots, 100[\mathrm{~s}], \mathrm{m} 1=24,000[\mathrm{~kg}]$ (red), $\mathrm{m} 2=26,000[\mathrm{~kg}]$ (green)).


Figure 14. (a) Inter-distance at error $=1 \%$, t_scndstart $=76.64$ [s], and (b) various error rates vs. push-down cycle time when ( $\mathrm{m} 1=24,000[\mathrm{~kg}], \mathrm{m} 2=26,000[\mathrm{~kg}]$ ).

The second vehicle start period for zero inter-distance fluctuation is a push-down cycle time. Figure 14b shows the cycle time for different velocity errors. For specific velocity error
rates, when the second car starts at an integral number of cycle times, the inter-distance fluctuation can always be minimized.

## 6. Conclusions

In this paper, operational control of high-speed capsular vehicles, numerical analysis, and evaluation has been performed with multiple control parameters. The goal is to find the best scenario to minimize the inter-distance and its fluctuation. The major accomplishment of this effort is that we generated a dynamic motion model for our unique system and proceeded with a numerical analysis toward operational control of high-speed vehicles. After we studied the numerical analysis of the system, we found out:

1. Inter-distance is a function of error rate and second car start time, the magnitude range is determined by second car start time.
2. Inter-distance fluctuation rate is a function of error rate and second car start time. However, it can be minimized by choosing the correct second car start time.
3. If the second car start time is chosen as an integer number of push-down cycle times at a specific velocity error rate, the inter-distance fluctuation can be zero.
Through this important finding based on the numerical evaluation, authors can conclude that we can design a control law to minimize the inter-distance and fluctuation rate by setting error rate and second car start time aiming for maximized passenger or freight rate with given time for future application.

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