

*Article*

# Optimal harvesting decision paths when timber and water have an economic value in uneven forests

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## 1 Appendix A Estimation of up-growth and ingrowth probabilities

### 2 Appendix A.1 Estimation transition and survival probabilities

3 We estimate transition and survival probabilities considering the FORHYCS [1] simulations of  
4 annual inventories by tree species, diameter class and year ( $y_{ij,t}$ ). Those predictions only indicate  
5 the number of live trees by species (30 in total) height class (15 in total) at the end of every year, and  
6 comprise data for the period 1970 to 2015 (46 years in total). On this basis, we reckon average transition,  
7 survival and mortality rates, for a group of eight clusters<sup>1</sup>.

8 For the simplest model (with no harvest)<sup>2</sup> we consider that an individual or group of trees that  
9 are alive in a size (i.e. diameter) class  $j$  at the time  $t - 1$  ( $y_{ij,t-1}$ ), can either die or move up to the next  
10 diameter class (up-growth) in a year, which occurs with the probabilities ( $p_{ij,t}^m$ ) and ( $p_{ij,t}^u$ ), respectively.  
11 The number of trees that are alive in a size class  $j$  at time  $t$  ( $y_{ij,t}$ ), is affected by the number of trees  
12 belonging to a size class  $j - 1$  that move up to class  $j$ , which happens with a probability ( $p_{ij-1,t}^u$ ).

$$y_{ij,t-1} \cdot (1 - p_{ij,t}^m - p_{ij,t}^u) + y_{ij-1,t-1} \cdot p_{ij-1,t}^u = y_{ij,t}. \quad (\text{A.1})$$

13  
14 The first term in parenthesis of eq. (A.1) indicates the survival rates in a size class at time  $t$ . We base the  
15 estimation of those rates on the (predicted) tree inventories over the 46-years period, and we do not  
16 observe directly the specific fraction of tree entrances (recruitment or ingrowth) and withdrawals (due  
17 to mortality or transition to the next class). Therefore, we estimate the joint value of those rates on the  
18 basis of changes in tree inventories by species and size class ( $r_{ij,t}$ ) over two consecutive periods (years):

$$\begin{aligned} r_{ij,t} &= (y_{ij,t} - y_{ij,t-1}) / y_{ij,t} \\ r_{ij,t} &= 1 + p_{ij-1,t}^{u+} - p_{ij,t}^m - p_{ij,t}^{u-}. \end{aligned} \quad (\text{A.2})$$

19  
20 We expect that if  $r_{ij,t} < 0$ :  $1 + p_{ij,t}^{u+} < p_{ij,t}^m + p_{ij,t}^{u-}$ , those relative changes are dominated by tree  
21 mortality and/or by tree moving up to the upper diameter class. On the contrary, if  $r_{ij,t} > 0$ :  $1 + p_{ij,t}^{u+} >$   
22  $p_{ij,t}^m + p_{ij,t}^{u-}$ , we expect forest net growth heads up changes on tree inventories over the period. We  
23 cannot discriminate between tree entrances, mortality and other tree withdrawals, in a simplistic  
24 way. Therefore, we make some further assumptions to estimate both, tree transition probabilities and  
25 mortality. We assume that in case In that case  $r_{ij,t} < 0$ , the probability of new entrances in a size class  $j$   
26 equals zero ( $p_{ij,t}^{u+} = 0$ ). Thus, we account only for the net entrances when the relative change in the  
27 number of live trees is positive.

28 Likewise, we cannot directly observe the fraction of tree withdrawals due to mortality or  
29 up-growth. The mortality ratio can be, nonetheless, calculated using Eq. (A.2) and the following  
30 relationships:

$$\begin{aligned} -p_{ij,t}^{u-} &= p_{ij+1,t}^{u+} \\ p_{ij,t}^m &= p_{ij+1,t}^{u+} - r_{ik,t} \\ \text{only if } r_{ij,t} < 0 \text{ and } r_{ij+1,t} > 0 \end{aligned} \quad (\text{A.3})$$

31  
32 We quantify the average time interval ( $\tau_{ijk}$ , in years) needed for moving from one diameter class to  
33 the upper one, considering aggregated net tree entrance rates. We assume that the density function of  
34 net entrance probabilities follows a normal distribution  $N(\mu, \sigma^2)$ , and that the average time interval a

<sup>1</sup> Those clusters are defined according to their altitude above sea level (masl) and orientation (North or South), as indicated in the main text.

<sup>2</sup> TreeMig estimations do not consider harvest, and assume that mortality drives tree withdrawals.

tree remains in a diameter class, corresponds to the time interval half of trees need to moved up to the upper diameter class:

$$\tau_{ij} = \frac{T}{2} \cdot \left( \sum_{t=1}^{\tau_{ij}} \Phi_{ij} \cdot (1 + p_{ij,t}^{u+} - p_{ij,t}^m - p_{ij,t}^{u-}) \right)^{-1}, \quad (\text{A.4})$$

where,  $\Phi_{ij}$  is a binary variable that takes a value of 1 in case  $r_{ij,t} > 0$  and a value of 0 if  $r_{ij,t} < 0$ .

We further make some additional corrections for those age classes or species with a small number of "observations" for certain size classes. In case, we have information about the time intervals of a number of diameter classes within the same species, we estimate the weighted average time interval of those diameter classes with valid results. In case the number of trees of a forest species is too small to estimate reasonable  $\tau_{ijk}$  values, we consider the values of the closest species with valid information.

We appraise the fraction of trees that remain alive in a size class  $j$  ( $u_{ij}$ ) and the fraction of live trees that move up to the next size class  $j + 1$  ( $q_{ij}$ ) over the period  $\theta$ . Those parameters are estimated in view of the time  $\tau_{ij}$  half of the live trees remain in a size class  $j$ , their mortality ratio ( $\mu_{ij}$ ) over the time interval  $\theta$ :  $\mu_{ij} = \rho_{ij}^m \cdot \theta$ , and bearing in mind that those fractions should range between 0 and 1. That is:  $0 \leq u_{ij} \leq 1$ ;  $0 \leq q_{ij} \leq 1$ ; and  $0 \leq \mu_{ij} \leq 1$ , hence:  $u_{ij} + q_{ij} + \theta \cdot \rho_{ij} = 1^3$ :

$$q_{i1} = \begin{cases} 1 - \mu_{ij} & \text{if } \tau_{ij} < \theta \\ (\theta / \tau_{ij}) - \mu_{ij} & \text{if } \tau_{ij} \geq \theta \end{cases} \quad (\text{A.5})$$

$$u_{ij} = (1 - (q_{ij} + \mu_{ij}^m)) \quad (\text{A.6})$$

Fractions  $q_{ij}$  and  $\mu_{ij}^m$  are used to adjust linear and nonlinear functions that relate the up-growth and mortality probabilities with the stand basal area and diameter of the trees, to estimate the survival and transition parameters of Equations (8), (9) and (10) of the main text (see Tables 3 and 4).

#### Appendix A.2 Estimation of the number recruited trees

The number of trees entering in the smallest diameter class ( $R_{i,t}$ ) every period is obtained from equation (A.2) of the main text. Those entrances are estimated as the difference in the number of trees of the smallest size class:  $(y_{i1,t} - y_{i1,t-1})$ , corrected by a variable  $w$  that accounts for tree withdrawals due to both moves up the next size class ( $p_{ij}^{u+}$ ) and mortality ( $p_{ij}^m$ ):

$$R_{i,t} = y_{i1,t} / (1 + w_i) - y_{i1,t-1}$$

where:

$$w_i = (\rho_{i1}^{u+} + \rho_{i1}^m);$$

$$\rho_{i1}^{u+} = q_{i1} / \theta. \quad (\text{A.7})$$

Where  $q_{i1}$  represents the fraction of the trees that move up from the smallest diameter class to the subsequent one over the time interval  $\theta$ . Similarly, variable  $R_{i,t}$  is used to estimate the parameters of the tree recruitment function defined by Equation (A.7) of the main text as function of tree density.

## Appendix B FORHYCS allometric functions

The FORHYCS simulations provide information about the dynamics of tree height distribution (considering 15 height classes starting from 1.37 to 60 m and in height steps of 4.2 m, except for the first height class, which ranges from 1.37 m to 5.4. The initial value 1.37 is the breast height (equal

<sup>3</sup> Note that  $\mu_{ij}$  represents the annual mortality probability therefore we multiply this rate by  $\theta$

67 to 4.5 feet), and the diameter estimates are measured from this height on wards. We consider seven  
 68 diametric classes that range from 0 to more than 70 cm, with intervals of 10 cm. Each class indicates  
 69 central values, thus a diameter class 5 comprises trees that are 0 cm or higher up to tree with a 10 cm  
 70 diameter, and so on. The last class comprises tree that are 70 cm or higher. The reason for truncating 70  
 71 cm as the last diameter is that higher diameters do not affect timber prices.

72 The evolution of the diameter at breast height ( $DBH_{ij}$ ) (in cm), for the species  $i$  ( $= 1, 2, \dots, m$ )  
 73 and height class  $j$  ( $= 1, 2, \dots, n$ ) can be obtained following an allometric relationship [2]:

$$DBH_{ij} = D_{max} \cdot (1 - \sqrt{\Theta}),$$

$$\Theta = \min \left( 1, \max \left( 0, \left( 1 - \frac{H_j - 1.97}{H_{max,i} - 1.37} \right) \right) \right), \quad (A.8)$$

74  
 75 where:  $H_j$  represents the minimum height (in m) of each size class  $j$ , while  $D_{max,i}$  and  $H_{max,i}$  are  
 76 species-specific parameters indicating maximum DBH and height, respectively.

77  $DBH_{ij}$  is useful to estimate other relevant allometric data such as the basal area  $BA_{ij}$ , total biomass  
 78 ( $W_{ij}$ ) or the leaf area ( $LA_{ij}$ ), for each  $i$  species and diameter class  $j$ .

79 The basal area indicates the total cross-sectional area of all stems in a stand.  $BA_i$  is measured at  
 80 breast height for a species  $i$ , expressed as per unit of land area ( $m^2/ha$ ), and estimated as usual as:

$$BA_i = \sum_{j=1}^n \left( \frac{\pi \cdot d_{ij}^2}{4} \cdot y_{ij} \right), \quad (A.9)$$

81  
 82 being  $d_{ij}$  is the average diameter at breast height (expressed in m), and  $\pi$  the number pi.

83 On the other hand, the leaf area is calculated considering two-sided area of all tree leaves in the  
 84 stand, and depends on species-specific parameters and DBH. The following equation is applied to  
 85 each height class of each species:

$$LA_{ij} = SLA_i \cdot \kappa_{1,i} \cdot DBH_{ij}^{\kappa_{2,i}} \cdot y_{ij} \quad (A.10)$$

86  
 87 where:  $SLA_i$  (in  $m^2 \text{ kg}^{-1}$ ) is the specific leaf area (foliage area per unit foliage weight), and  $\kappa_{1,i}$  ( $\text{kg}$   
 88  $\text{cm}^{-1}$ ) and  $\kappa_{2,i}$  are species-specific allometric parameters relating DBH to the foliage weight. Total  
 89 stand leaf area is the sum of calculated leaf area for each species/height class corrected by the factor  
 90 ( $s = 10.000 \cdot 2$ ). This factor is needed and as parameter  $SLA_i$  consider the ratio of leaf area to ground  
 91 area, and that tree data at each plot are referred to one hectare ( $10.000 \text{ m}^2$ ), the sub-factor 2 is due to  
 92 the fact that LAI is defined on the basis of one-sided leaf area.

$$LA_{\text{stand}} = \sum_{j=1}^n \cdot \sum_{i=1}^m (LA_{ij}) / (10.000 \cdot 2). \quad (A.11)$$

93  
 94 On the other hand, biomass is calculated by individual tree as the sum of foliage and stem weights (in  
 95  $\text{kg m}^{-2}$ ), which are in turn defined as function of DBH. Foliage weight ( $W_{ij}^f$ ) and stem biomass ( $W_{ij}^s$ )  
 96 are calculated as follows:

$$W_{ij}^f = c_{1,i} \cdot \kappa_{1,i} \cdot DBH_{ij}^{\kappa_{2,i}}. \quad (A.12)$$

$$W_{ij}^s = 0.5 \cdot \left( (1.441 * 10^{-4}) \cdot e^{(\ln(DBH_{ij}) \cdot 2.4)} \right). \quad (A.13)$$

97  
 98 The factor 0.5 converts stem volume to biomass ( $\text{kg m}^{-2}$ ), so Eq. (A.12) is also used to estimate timber  
 99 volume. Total biomass ( $W$ ) and total timber volume ( $V$ ) are reported in metric tons ( $\text{t ha}^{-1}$ ) and cubic

100 meters ( $\text{m}^3 \text{ha}^{-1}$ ) per hectare, respectively, and calculated, considering, in addition, the number of  
 101 trees by species and height class per hectare.

$$W = \sum_{i=1}^m \cdot \sum_{j=1}^n \left( (W_{ij}^f + W_{ij}^s) \cdot y_{ij} \right). \quad (\text{A.14})$$

$$V = \sum_{i=1}^m \cdot \sum_{j=1}^n \left( \frac{W_{ij}^s}{0.5} \cdot y_{ij} \right). \quad (\text{A.15})$$

102  
 103 The species specific parameters used to estimate the above referred allometric functions are depicted  
 104 in Table A.1.

## 105 Appendix C Timber and water yield valuation

### 106 Appendix C.1 Timber yield and prices

107 Timber prices were provided by the Swiss Federal Office of Statistics [3], and those correspond  
 108 to producer prices for raw and unprocessed native woods (including wind-thrown wood), at the  
 109 forest logging park, without value-added-taxes (VAT). Those are real prices (for year 2014) considering  
 110 four-month length periods from September 2000 to April 2016 (47 periods) for nine species and  
 111 different quality classes (see Table 2 of the main text and Table A.2 of this appendix). Available timber  
 112 price statistics do not cover relevant tree species such as the European larch (*Larix decidua*), Scots pine  
 113 (*Pinus sylvestris*, Swiss stone pine (*Pinus cembra*). To assess the value of timber assets for Switzerland<sup>4</sup>,  
 114 the Federal Office of Statistics (FSO) used factors that relate the prices of latter species to spruce (*Picea*  
 115 *sp*) prices. In case of larch and stone pine, this factor equals 2, and to 1 for the remaining softwood  
 116 species. While, beech (*Fagus sp.*) is the reference species for other hardwoods and the price factor is set  
 117 to 1. We have contrasted those factors using the timber prices published every year by the Swiss Wood  
 118 Industry Association East Regional Office from 2009 and 2016<sup>5</sup>.

119 In that case we have analyzed the historical timber price relationships for round wood prices  
 120 published by the latter wood industry association; which provides price information for different  
 121 timber species (spruce, fir, larch and Scots pine among others) and timber quality classes, for what  
 122 they call the “quartile 4” (from September to December) and occasionally quartile 1 (from January to  
 123 April). This information was collected from 2009 to 2016. using this data, we have observed that the  
 124 correction factor depends on the timber quality (for the general qualities classes A to D) and we apply  
 125 this specific correction factors to estimate larch and Scots pine prices in relation to spruce prices, as  
 126 they are lower or higher (depending on the quality class) from the correction factors used by the FOS  
 127 (see Table A.3).

#### 128 Appendix C.1.1 Surface water yield and valuation

129 As indicated in the main text, water provisioning services are valued considering drinking water,  
 130 irrigation and hydro-power net benefits and demands in the Navisence area. Net benefits corresponds  
 131 to the net returns to water utilities, farmers and hydro-power plants after paying the production factors  
 132 (labor and manufactures capital). Those benefits are considered *return to natural capital*, which we call  
 133 ‘*environmental price*’ of water. Those environmental prices are estimated considering irrigation water,  
 134 drinking water and hydro-power benefits minus their production cost, including capital costs. As the  
 135 information used to estimate water demand and net benefits is not directly available at the Navisence

<sup>4</sup> [see 4].

<sup>5</sup> Regionalverband Ost und Waldwirtschaftsverb (Swiss Wood Industry Association East Regional Office), various years. Rundholz Richtpreiseempfehlung. Available online: <http://www.his-ost.ch> [Last accessed 01/11/2016].

136 area, those variables are estimated using different information and data taken from available statistics  
137 and literature, as it is detailed next.

138 Drinking water demand is estimated considering water consumption by the permanent residents  
139 in the three municipalities inside the catchment area: Anniviers, Chippis and Chalais -data for 2015:  
140 [5]-, as well as the drinking water demand for tourists and non-permanent residents. Tourism demand  
141 is estimated on the basis of the number of tourist nights recorded in those municipalities in 2014 [6],  
142 and further considering that hotels comprise only a 29% of total accommodation nights provided in  
143 Valais in 2014, which in addition includes holiday residences, for both tourists and non-permanent  
144 residents[7]. Water consumption by resident day is estimated as the average individual consumption  
145 of water in Switzerland [8]; while tourist night consumption corresponds to the average water use  
146 in European countries [9]. Drinking water economic revenues correspond to the average water per  
147 household of 12 water utilities in canton Valais in 2015 [10]. Drinking water production costs (including  
148 labor, inputs and capital costs) correspond to the average variable Swiss drinking water utilities cost  
149 as estimated by [11]. We estimate average drinking water benefits of CHF 1.20 per cubic meter ( $\pm 0.46$ )  
150 and a production cost of  $1.05(\pm 0.32)$  CHF/m<sup>3</sup>, thus an environmental price of water ranging from  
151 0.11-0.19 CHF/m<sup>3</sup>.

152 Average demand for water for irrigation is estimated considering water consumption per hectare  
153 of agricultural land in the neighboring valley (Crans-Montana-Sierre) estimated by [12], and the total  
154 agricultural area in the three municipalities inside the catchment [5]. The economic value of irrigation  
155 water is estimated considering the gross margins of agriculture in canton Valais per cubic meter of water  
156 used. Those gross margins are taken from [13] for annual (wheat, corn, forages, sugar-beet, triticale  
157 and meadows) and perennial (fruit trees and vineyards) crops, and the surface those crops occupy  
158 in Valais in 2013 [14]. [13] margins consider organic and non-organic farming, and as those margins  
159 present important differences, we further consider that the organic and non-organic farming in Valais  
160 are similar as the estimated share (close to 11%: 6.000 farms out of 55.200 farms) of organic farms  
161 in Switzerland [15]. We further consider the irrigation cost (including fixed and variable irrigation  
162 equipment costs) estimated by [16] for canton Basel-land (790 CHF/ha), which is further detracted from  
163 aforementioned gross margins to estimate the net benefits of irrigation water. It is further estimated  
164 that 66% of the agricultural land in Valais is irrigated (25.500 ha according to [17], out of about 39.000  
165 agricultural land area in Valais [5]), hence the average irrigation cost is corrected considering this  
166 latter share of land. The environmental price of water is estimated considering an average irrigation  
167 water use of 827 m<sup>3</sup>/ha. This latter figure represents the average irrigation water use gauged by [12]  
168 for the Crans-Montana- Sierra area, which amounts 3,021,462 m<sup>3</sup>, and the agriculture land area of  
169 the 11 municipalities considered in this study: Chermignon, Icogne, Lens, Miège, Mollens, Montana,  
170 Randogne, Sierre, St-Léonard, Venthône, and Veyras in 2015 [5]. Estimated water environmental prices  
171 range from 2.04 to 4.15 CHF/m<sup>3</sup>, considering the range of gross margins provided by [13] for extensive,  
172 intensive and organic annual and perennial crops (see Table A.4).

173 Finally, hydro-power economic values are estimated considering average electricity prices and  
174 production costs in Switzerland, as estimated by [18] for a kW/h. The hydro-power revenues and  
175 cost further account for the total water used for hydro-power production in Navisence catchment  
176 between 2004-2008 ( $191.6 \pm 190.3$  million m<sup>3</sup>), and an estimated average production of 650 GWh/year  
177 in the central of Navisence [19]. In that case all water used for hydro-power production would have  
178 an economic value. On the contrary, we estimate that only 3% of total blue water in the catchment area  
179 will have a demand as drinking or agricultural water. In that case, our estimations of the environmental  
180 price of forest blue water amounts  $0.10 \pm 0.02$  CHF per cubic meter (see Table 3 of the main text).

181 **References**

182

- 183 1. Speich, M.J.; Zappa, M.; Scherstjanoi, M.; Lischke, H. FOReSts and HYdrology under Climate Change in  
184 Switzerland v1.0: A spatially distributed model combining hydrology and forest dynamics. *Geoscientific*  
185 *Model Development* **2020**, *13*, 537–564. doi:10.5194/gmd-13-537-2020.
- 186 2. Bugmann, H. On the ecology of mountainous forests in a changing climate. A simulation study. PhD  
187 thesis, ETH Zurich, 1994.
- 188 3. Federal Statistical Office. Economic valuation of standing timber stock in Switzerland. Technical Report  
189 Agriculture and Forestry, FSO, 2016.
- 190 4. FOEN. Forest Report 2015. Condition and Use of Swiss Forests. Technical report, Federal Office for the  
191 Environment, 2016.
- 192 5. Canton Valais. Le Valais en chiffres / Das Wallis in Zahlen 2016. Technical report, Office cantonal de  
193 statistique et de péréquation., 2017.
- 194 6. Canton Valais. Inventaire du Tourisme Valasain 2015. Observatoire Valasain du Tourisme 2015. Technical  
195 report, Available online: <https://www.tourobs.ch/fr/publications/publications/>, 2015.
- 196 7. Observatoire Valasain du Tourisme. Valeur ajoutée du tourisme en Valais. Analyse de l'offre et de la  
197 demande touristiques 2014. Technical report, Observatoire Valasain du Tourisme, 2014.
- 198 8. Blanc, P.; Schädler, B. Water in Switzerland - an overview. Federal Office for the Environment (FOEN).  
199 Technical report, Swiss Hydrological Commission, 2014.
- 200 9. Becken, S. Water equity - Contrasting tourism water use with that of the local community. *Water Resources*  
201 *and Industry* **2014**, *7-8*, 9–22. doi:10.1016/j.wri.2014.09.002.
- 202 10. SGWA. Resultats statistiques des distributeurs d'eau en Suisse: annee 2015. Technical report, Swiss Water  
203 Partnership, Zurich, 2015.
- 204 11. Faust, A.K.; Baranzini, A. The economic performance of Swiss drinking water utilities. *Journal of*  
205 *Productivity Analysis* **2014**, *41*, 383–397. doi:10.1007/s11123-013-0344-0.
- 206 12. Reynard, E.; Bonriposi, M. Water Use Managemet in Dry Mountains in Switzerland. The Case of  
207 Crans-Montana-Sierre Area. In *The Impact of Urbanization, Industrial, Agricultural and Forest technologies on*  
208 *the Natural Environment*,; Mnémeényi, M.; Heil, B., Eds.; Sopron, Nyugat-magyarorszag Egeytem, 2012; pp.  
209 281–301.
- 210 13. Agridea.; FiBL. Marges brutes. Modölisation 2017. Technical report, Swiss Association for the Development  
211 of Rural Areas (AGRIDEA) and Research Institute for Organic Agriculture (FiBL), 2017.
- 212 14. FSO. Land use in Switzerland. Results of the Swiss land use statistics. Technical report, Federal Statistical  
213 Office (FSO). Territory and Environment 002-0904, 2013.
- 214 15. FSO. Swiss Agriculture Pocket Statistics 2015. 07 Agriculture and Forestry 1112-1500. Technical report,  
215 Federal Statistical Office (FSO), 2015.
- 216 16. Zorn, A.; Lips, M. Wirtschaftlichkeit der Bewässerung ausgewählter Kulturen im Kanton Basel-Landschaft.  
217 Technical report, Eidgenössisches Departement für Wirtschaft, Bildung und Forschung WBF Agroscope,  
218 Basel, 2016.
- 219 17. Weber, M.; Schild, A. Stand der Bewässerung in der Schweiz. Bericht zur Umfrage, 17ff. Technical report,  
220 Bundesamt für Landwirtschaft, BLW., 2006.
- 221 18. Barry, M.; Baur, P.; Gaudard, L.; Giuliani, G.; Hediger, W.; Schillinger, M.; Schumann, R.; Voegeli, G.; Weigt,  
222 H.; Barry, M.; Baur, P.; Gaudard, L.; Giuliani, G. The Future of Swiss Hydropower A Review on Drivers and  
223 Uncertainties The Future of Swiss Hydropower A Review on Drivers and Uncertainties. WWZ Working  
224 Paper 2015/11.
- 225 19. Alpiq Suisse. La centrale de la Navizence. Forces Motrices de la Gougra, S.A., 2014.
- 226 20. Lischke, H.; Zimmermann, N.E.; Bolliger, J.; Rickebusch, S.; Löffler, T.J. TreeMig A spatially  
227 dynamic forest-landscape model with explicit spatial interactions – online documentation, 2006.  
228 doi:10.1016/j.ecolmodel.2005.11.046.

229 **Supplementary material Tables and Figures****Table A.1.** Parameters to estimate diameter and leaf area index by group of species

Class	Group 1	Group 2	Group 3	Group 4	Group 5
$SLA_i$	6.0	6.0	12.0	12.0	12.0
$\kappa_{1,i}$	0.17	0.23	0.06	0.08	0.10
$\kappa_{2,i}$	1.40	1.56	1.70	1.43	1.43
$c_i$	0.45	0.45	0.45	0.35	0.35

Source: TreeMig, [20]

**Table A.2.** Relation between timber classes of the price data base and the diameter classes

Species	Share of timber quality class (%)						
	Diameter class (DBH range in cm)						
	10-19	20-29	30-39	40-49	50-59	$\geq 60$	
Group 1	L1 2b ( 25-29) B		90				
	L1 2b ( 25-29) C		10				
	L1 3 ( 30-39) B			80			
	L1 3 ( 30-39) C			10			
	L1 2-4 ( 25-49) B/ C			10	10		
	L1 4 ( 40-49) B				80		
	L1 4 ( 40-49) C				10		
	L1 5-6 ( 50-69) B (*)				25/50	25/50	
	L1 5-6 ( 50-69) C (*)				25/50	25/50	
	L3 2-4 ( 25-69) D					25	25
Particleboard		50					
Woodchuck		50					
Group 2	4 ( 40-49), B, L 3		40	50	70	70	70
	4 ( 40-49), C, L 3		30	30	20	20	10
	Particleboard		25				
	Long energy wood				10	10	10
	Axed split wood		50	30	20		
	Woodchuck		50				

Notes: Group 1 includes Spruce, Fir, Scots pine, Larch, Swiss Stone pine, Other conifers, while Group 2 includes Beech, Maple, Oak and Ash.

**Table A.3.** Average price ratios for larch and Scot pine in relation to spruce in Switzerland

Quality class	Ratios of timber prices <sup>(1)</sup>			
	Larch		Scots pine	
	Mean	Standard deviation	Mean	Standard deviation
Class A	1.93	0.30	1.33	0.04
Class B	1.44	0.63		
Class C	1.14	0.39	0.86 <sup>(2)</sup>	0.20
Class D	0.96	0.07		

Source: *Own elaboration* based on Swiss Wood Industry Association (East Regional Office) data from 2009-2016.

Available online: <http://www.his-ost.ch>

(1) Price ratios are estimated in respect to spruce.

(2) There are no significant differences between the ratios estimated for the classes B, C and D.

**Table A.4.** Gross margins by crop type in Switzerland and agricultural land distribution in canton Valais

Class	Surface		Gross margin CHF/ha			
	Valais		Non-bio		Bio	
	ha	%	Min	Max	Min	Max
Annual crops	2,059	5.3				
Wheat	456	1.2	1,613	2,059	2,812	3,188
Corn (grain)	211	0.5	1,123	1,123	3,807	3,807
Corn (forage)	193	0.5	1,271	2,082	3,065	3,141
Rye	37	0.1	1,192	1,225	3,007	3,007
Triticalle	141	0.4	6,950	7,098	6,501	7,047
Potato	85	0.2	2,737	3,244	6,610	6,996
Beetroot	644	1.7	1,086	1,086	3,964	3,964
Other annual vegetables	246	0.6	968	1,227	2,947	2,947
Annual berries	47	0.1	53,408	87,097	60,611	86,003
Perennial crops	36,748	94.7				
Fruit trees	2,296	5.9	17,100	17,385	29,376	30,108
Vineyards	4,035	10.4	21,119	26,183	19,375	24,262
Natural meadows	29,063	74.9	-593	-189	-334	-178
Artificial meadows	1,199	3.1	1,526	2,073	1,962	1,962
Other crops	155	0.4				
Total <sup>(1)</sup>	38,807	100	2,964	3,879	3,831	4,537

Source: *Own elaboration* based on: [5,13].